Application No. 10/788,458

Docket No.: 29250-001097/US

REMARKS

Applicants have added references to a co-pending Application No.

10/788,460 into the specification. No new matter has been added.

Should there be any other outstanding matters that need to be resolved

in the present application, the Examiner is respectfully requested to contact

John E. Curtin at the telephone number of the undersigned below.

If necessary, the Commissioner is hereby authorized in this, concurrent,

and future replies, to charge payment or credit any overpayment to Deposit

Account No. 08-0750 for any additional fees required under 37 C.F.R. § 1.16 or

under 37 C.F.R. § 1.17; particularly, extension of time fees.

Respectfully submitted,

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## **ATTACHMENT FOR SPECIFICATION AMENDMENTS**

## REPLACEMENT PARAGRAPHS (MARKED-UP VERSION)

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[0024] In one embodiment of the present invention, G = (V, E) is an interference graph, such as the one defined in co-pending U.S. Patent incorporated herein by reference, where G is a unit disk graph. Initially, a socalled "coloring problem" can be formulated for G. Hereafter, the word "color" and slot may be used interchangeably. Those of ordinary skill in the art will recognize the two terms as being synonymous. The present invention assumes that each node (i.e., AP)  $v \in V$  is associated with an integer requirement  $r_v \ge 1$ , which is the number of distinct colors required by node v. A coloring problem for G may be formulated as an assignment of a number of  $r_v$  distinct colors  $S_v$ to every node  $v \in V$ , such that no common color is assigned to the two end nodes of any edge  $(u, v) \in E$ , i.e.,  $S_u \cap S_v = \emptyset$  and the total number of colors used  $\bigcup_{v \in V} S_v$  is minimized. Thereafter, a joint coloring and frequency assignment problem may be formulated for G. In addition to identifying a coloring scheme for a group of nodes of G, frequencies from a given set F also need to be assigned to the group of nodes of G. Each node v is assigned a single frequency  $f_v \in F$  and  $S_u \cap S_v = \emptyset$  for only those edges  $(u, v) \in E$ , such that  $f_u = f_v$ , in order to minimize the total number of colors used,  $\bigcup v \in V S_v$ .